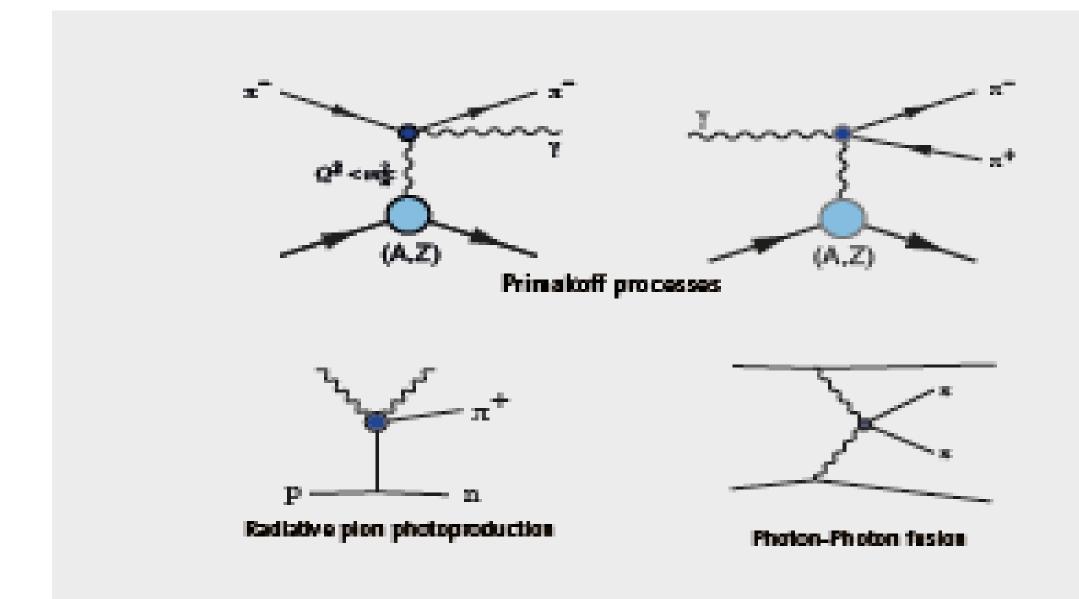
Pion Polarizability Status Report Murray Moinester, Tel Aviv University



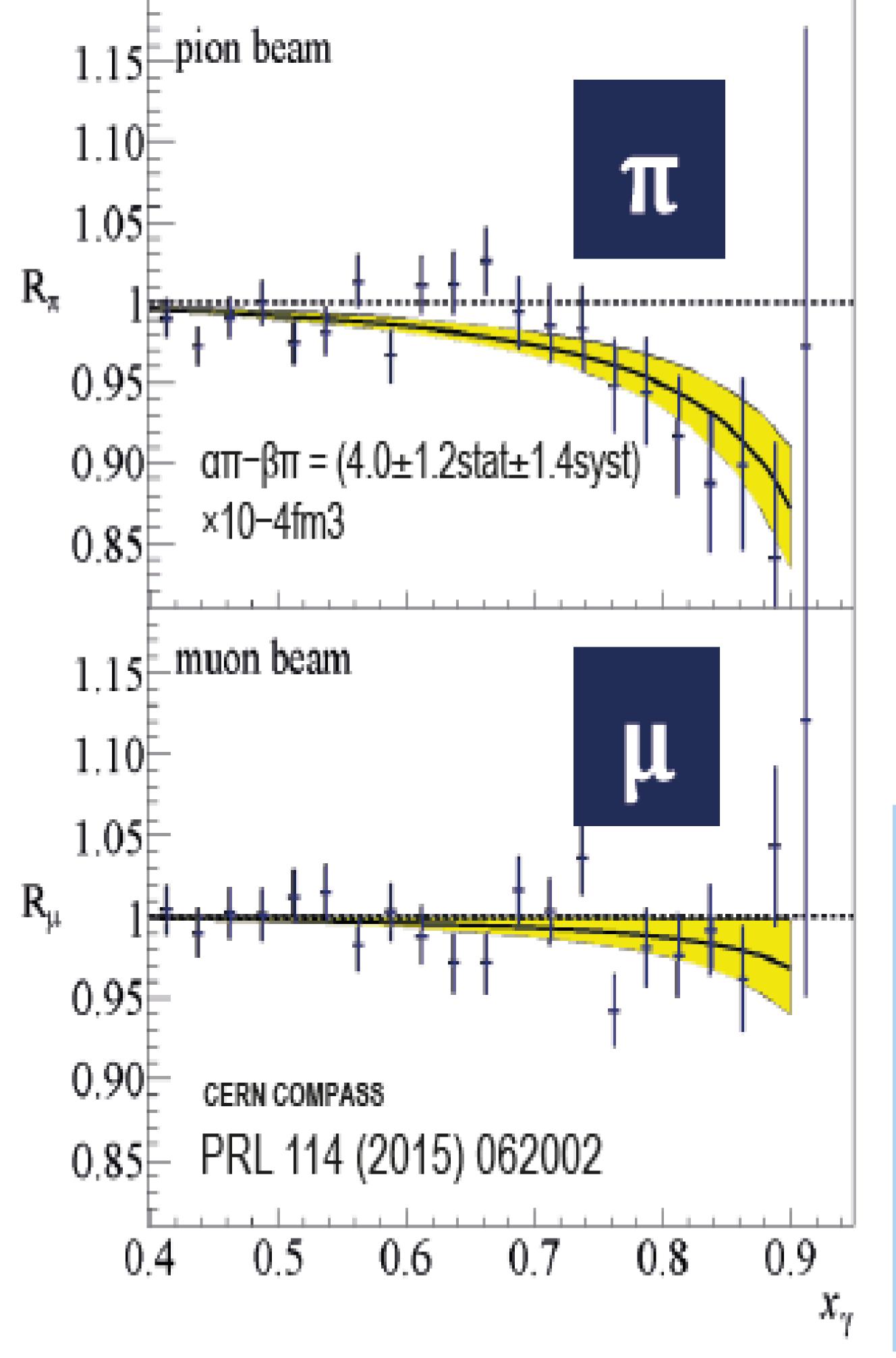
The electric α_{π} and magnetic β_{π} charged pion Compton polarizabilities are of fundamental interest in the low-energy sector of quantum chromodynamics (QCD). They are directly linked to the phenomenon of spontaneously broken chiral symmetry within QCD and to the chiral QCD lagrangian. The combination $(\alpha_{\pi}-\beta_{\pi})$ was measured by: (1) CERN COMPASS via radiative pion Primakoff scattering (Bremsstrahlung) of 190 GeV/c pions in the nuclear Coulomb field, π -Z $\rightarrow \pi$ -Z γ , (2) SLAC PEP Mark-II via two-photon production of pion pairs, $\gamma\gamma \rightarrow \pi + \pi$ -, and (3) Mainz Microtron MAMI via radiative pion photoproduction from the proton, $\gamma p \rightarrow \gamma \pi + \pi$. COMPASS and Mark-II agree with one another: (1) α_{π} - β_{π} = $(4.0\pm1.2_{\text{stat}}\pm1.4_{\text{syst}})\times10^{-4}$ fm³, (2) α_{π} - β_{π} = $(4.4\pm3.2_{\text{stat}}+s_{\text{yst}})\times10^{-4}$ fm³. The Mainz value (3) α_{π} - β_{π} = (11.6 \pm 1.5_{stat} \pm 3.0_{syst} \pm 0.5_{model}) \times 10-4 fm³ is excluded on the basis of a dispersion relations calculation which uses the Mainz value as input, and gives significantly too large $\gamma\gamma \rightarrow \pi^0\pi^0$ cross sections compared to DESY Crystal Ball data. COMPASS and Mark-II polarizability values agree well with the two-loop chiral perturbation theory (ChPT) prediction α_{π} - β_{π} = $(5.7\pm1.0)\times10^{-4}$ fm³, thereby strengthening the identification of the pion with the Goldstone boson of QCD.



Methods of studying pion polarizabilities:

Primakoff Processes: Radiative pion scattering (Bremsstrahlung) on quasi-real photons in the nuclear Coulomb field; Primakoff scattering of high energy γ 's in the nuclear Coulomb field leading to two photon fusion production of pion pairs, radiative pion photoproduction on proton $\gamma p \rightarrow \gamma \tau n$; two-photon fusion production of pion pairs $\gamma \gamma \rightarrow \tau \tau \tau$ via the $e+e-\rightarrow e+e-\tau \tau+\tau$ reaction.

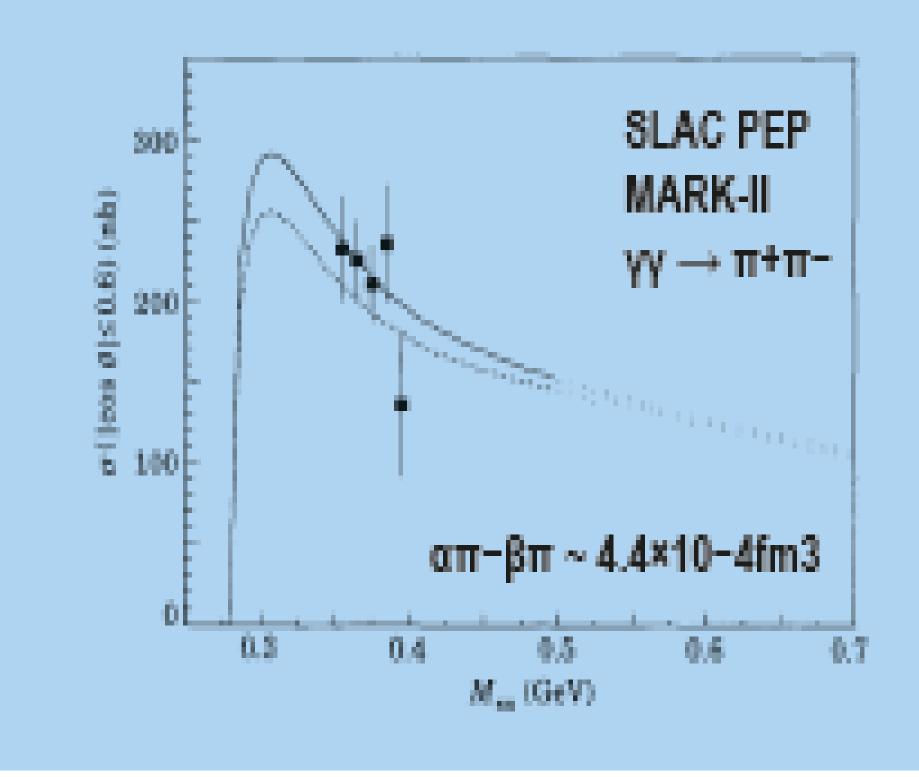
Determination of the pion polarizability by fitting the xγ distribution of the experimental ratios Rπ (data points) to the theoretical (Monte Carlo) ratio RT (solid line). Experimental and Theoretical Ratios are taken with respect to MC calculations with zero polararizability.



Pions of 190 GeV/c were scattered from virtual photons in the Coulomb field of a Ni target. The dependence of the π^- Ni \to π^- Ni γ laboratory differential cross section σ at very small momentum transfer on $x_\gamma = E_\gamma / E_\pi$ is used to determine α_π , where x_γ is the fraction of the pion beam energy carried by the final state γ ray. The variable x_γ is related to the γ scattering angle for $\gamma \pi \to \gamma \pi$, and $\alpha_\pi + \beta_\pi = 0$ is assumed. Experimental ratios $R_\pi = \sigma_E(x_\gamma) / \sigma_{MC}(x_\gamma, \alpha_\pi = 0)$ and best fit (solid curve) theoretical ratios $R_\tau = \sigma_{MC}(x_\gamma) / \sigma_{MC}(x_\gamma, \alpha_\pi = 0)$ are shown in the figure. Ratios are taken with respect to MC calculations with zero polararizability. The polarizability α_π and its statistical error are extracted by fitting R_π to:

$$\frac{\text{CERN}}{\text{COMPASS}} \quad R \quad = \frac{\sigma(x_{\gamma})}{\sigma_{\alpha \, \pi} = \sigma(x_{\gamma})} = \frac{N_{\text{meas}} \left(x_{\gamma}\right)}{N_{\text{sim}} \left(x_{\gamma}\right)} = 1 - \frac{3}{2} \cdot \frac{m_{\pi}^{3}}{\alpha} \cdot \frac{x_{\gamma}^{2}}{1 - x_{\gamma}} \alpha_{\pi}$$

where α is the fine structure constant. Systematic uncertainties were controlled by measuring μ Ni \rightarrow μ Ni γ cross sections. The best fit yields α_{π} - β_{π} = $(4.0\pm1.2_{\text{stat}}\pm1.4_{\text{syst}})\times10^{-4}\text{fm}^3$.



Total cross section data for M_{mm} ≤ 0.5 GeV.

The theoretical curves are: Born (dash-dotted); ChPT with $\alpha \pi - \beta_{\pi} \sim 4.4 \times 10^{-4} \text{ fm}^3$ (solid).